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GISSMO for Damage and Failure Prediction

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The Material Competence Center

Who we are and what we offer



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■ Testing services

- Tensile, compression, puncture, bending testing
- Static, dynamic, cyclic testing
- Component testing
- Sample processing and conditioning
- 3D-DIC measurement of the strain field

■ Benefits

- Parameter identification from a single source
- Minimize time and costs
- The LS-DYNA developer team is always available

■ Material Characterization

- LS-DYNA material model calibration for:
Metals, polymers, glass, foams, and more
- Deformation behavior
 - Viscoelastic and visco-plastic
 - Isotropic and anisotropic
 - Tensile and compressive- asymmetry
- Damage and failure modelling
 - GISSMO (General Incremental Stress State dependent damage Model)
 - DIEM (Damage Initiation and Evolution Model)

The Material Competence Center

A selection of our machinery



Water jet cutter



3D ARAMIS-DIC (5M and 12M)



UV LED Printer



10 kN and 100kN tension test rigs



- Tension tests (QS)
 - Uniaxial
 - Shear
 - Notched
- Compression tests (QS)
- Bending tests (QS)
- Punch tests (QS)

4a Impetus pendulum

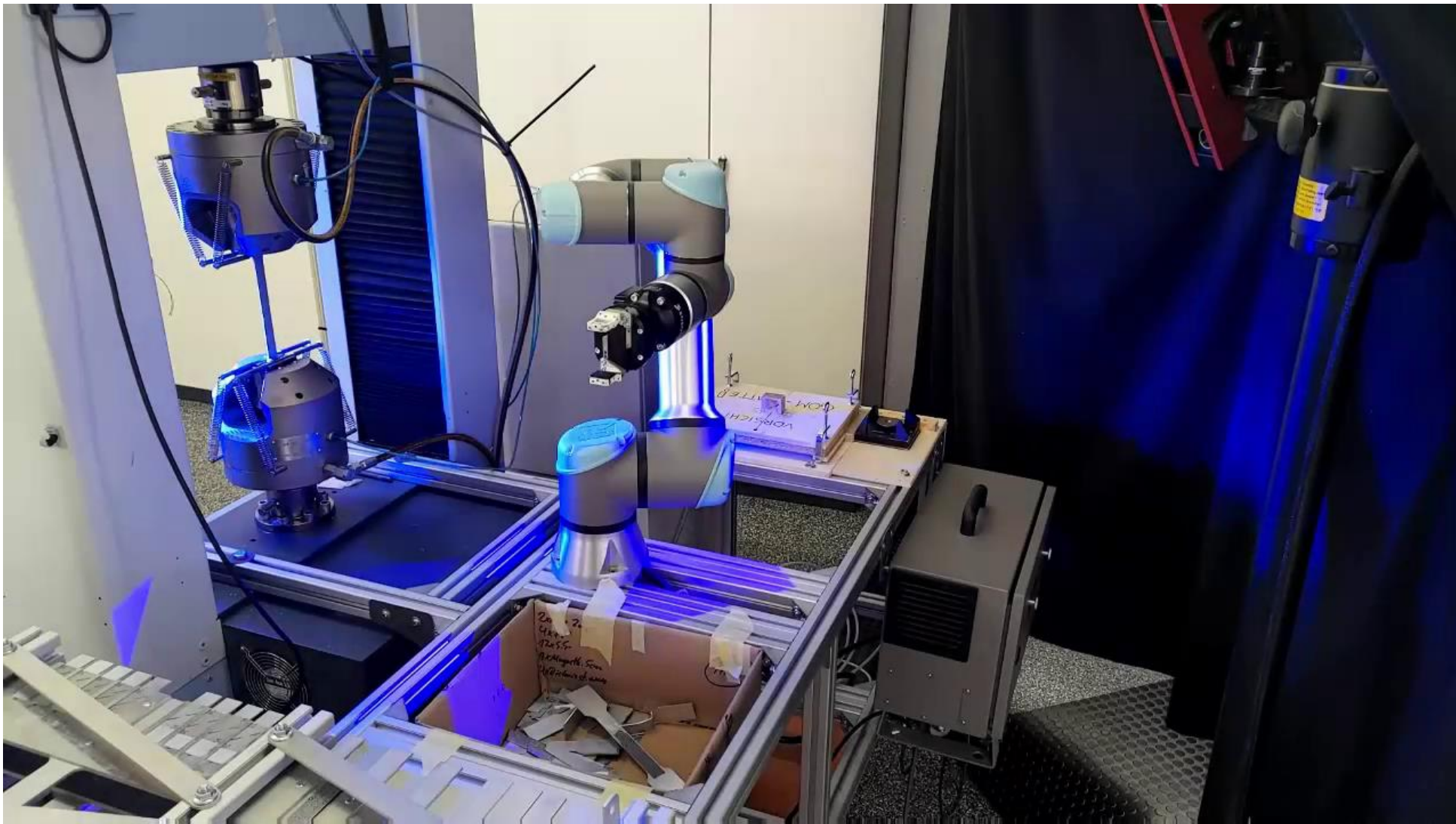


- Dynamic bending
- Dynamic compression

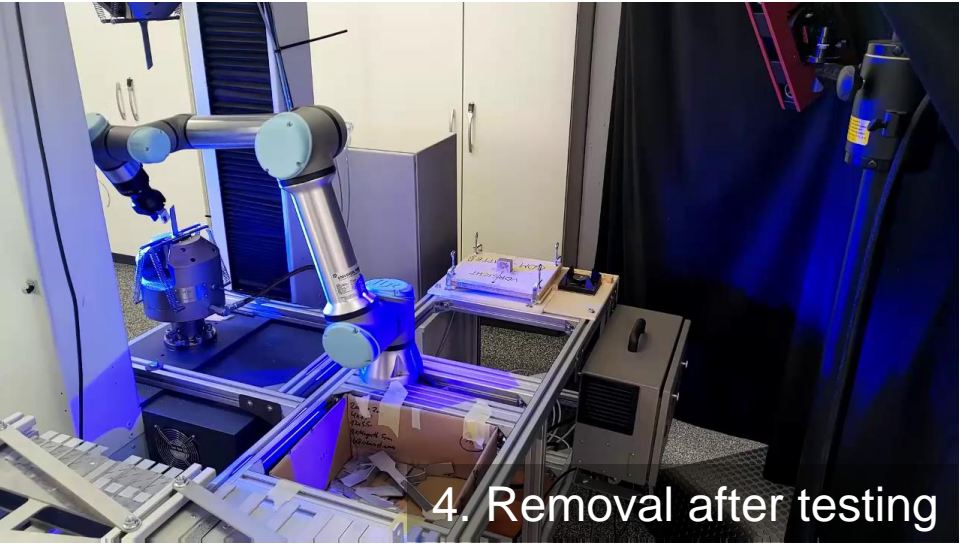
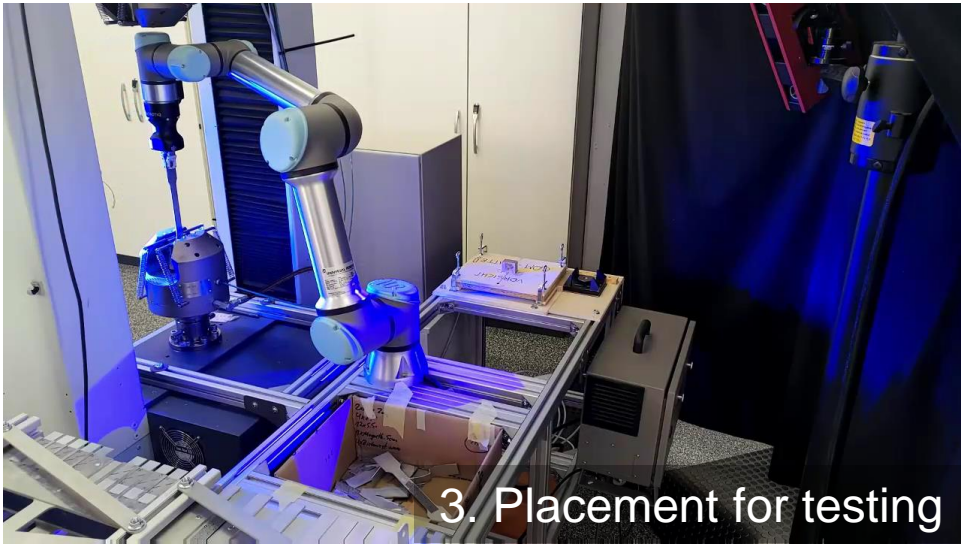
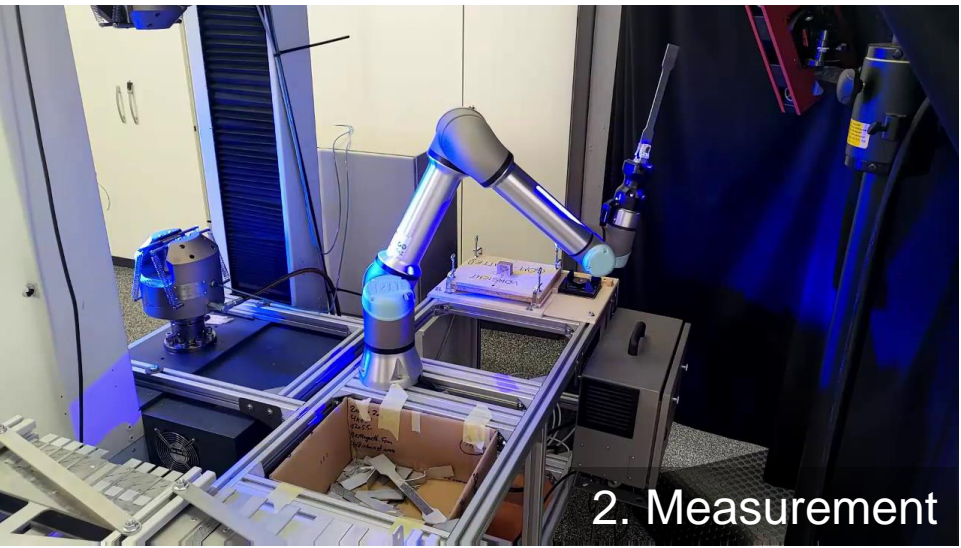
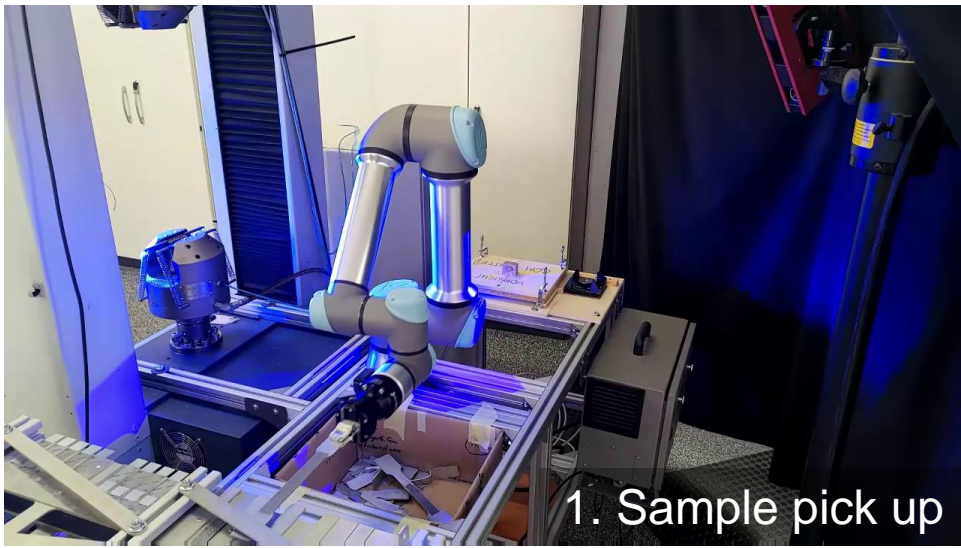
Climate chamber

- Conditioning of specimen before the tests at constant
- Temperature
 - Humidity

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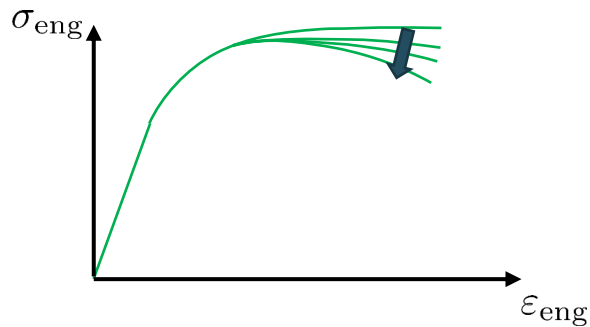
GISSMO

Why it's a good idea to use it

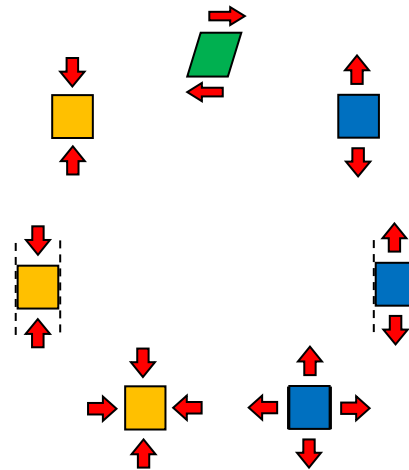
GISSMO – the motivation

Why GISSMO is needed

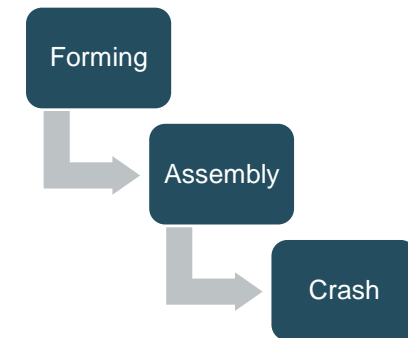
- FAIL already exists in *MAT_024 (and many others)
 - Simple element deletion based on critical equivalent plastic strain
- But, what about...



Damage evolution



Stress states

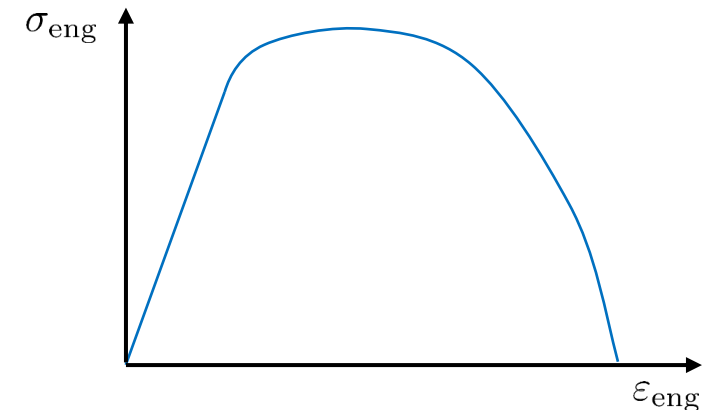
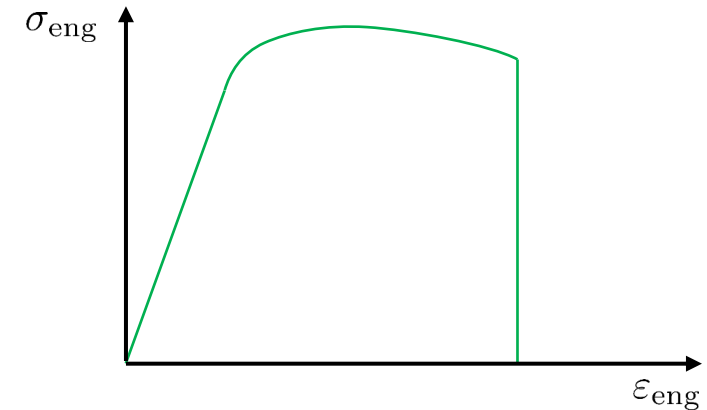


Process simulation

GISSMO – failure vs. damage

A definition

- **Failure:** Failing of the physical structure of a material
 - Sudden failure of the material without prior influence on the strength
 - Failure occurs when a certain criterion is met
 - Usually simpler than damage models
- **Damage:** Reduction of the physical strength of a material
 - Typically, incremental evolution of some damage parameter
 - Strength/stress can be decreased depending on the damage parameter
 - Usually more complex than failure models



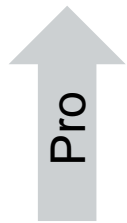
Note: GISSMO can be damage and failure model simultaneously

GISSMO – failure vs. damage

How to handle failure in FEM

Approaches:

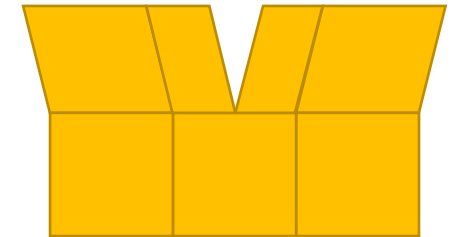
- XFEM (enriched FEM to reproduce discontinuities like fractures)



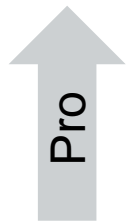
- Mass is conserved
- Crack width independent of element size



- Tricky to implement
- Expensive in calculation



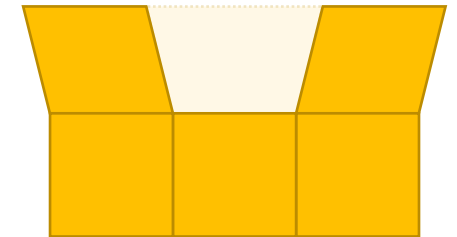
Element deletion



- Easier to implement
- Fast



- Leads to loss of mass and empty areas inside of a part
- Strong influence of element sizes

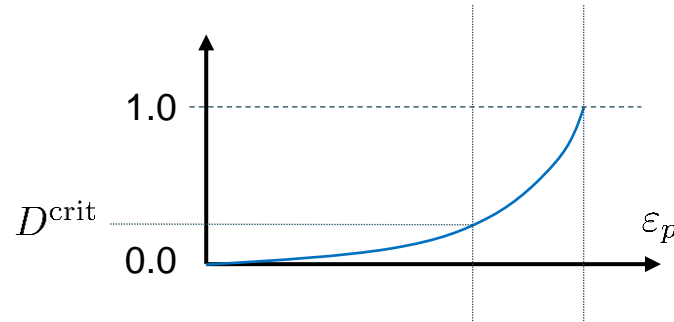


Note: Deleting failed elements is state of the art in many simulation applications

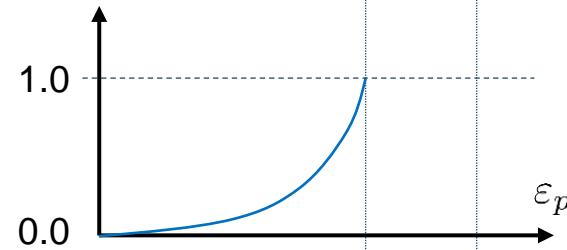
GISSMO – failure vs. damage

How damage is handled in GISSMO

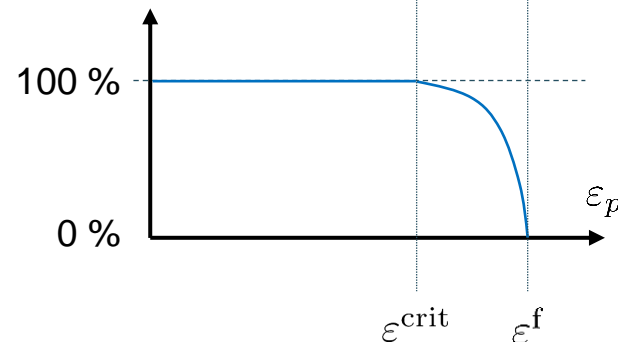
Damage parameter D:



Coupling parameter F:



Stress coupling (reduction):



■ GISSMO input:

DMGEXP: defines shape of D and F

$$\Delta D = \frac{\text{DMGEXP} \times D \left(1 - \frac{1}{\text{DMGEXP}}\right)}{\varepsilon_f} \Delta \varepsilon_p$$

$$\Delta F = \frac{\text{DMGEXP}}{\varepsilon_{p,loc}} F \left(1 - \frac{1}{\text{DMGEXP}}\right) \Delta \varepsilon_p$$

FADEXP: defines shape of coupling

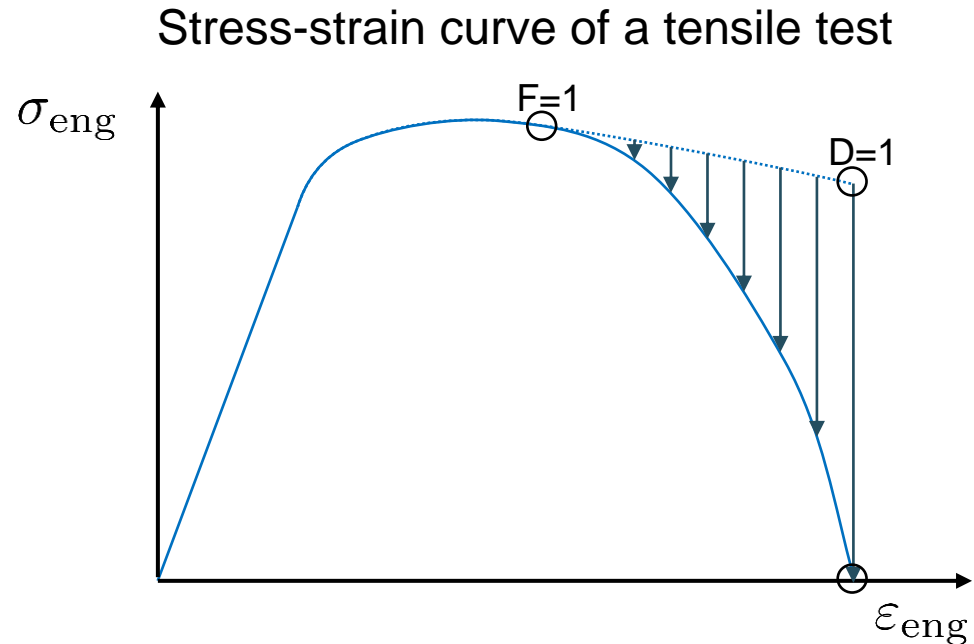
$$\sigma = \tilde{\sigma} \left[1 - \left(\frac{D - \text{DCRIT}}{1 - \text{DCRIT}} \right)^{\text{FADEXP}} \right]$$

DCRIT or **ECRIT**: define onset of coupling

GISSMO – failure vs. damage

How damage is handled in GISSMO

- The coupling parameter F is accumulated until it reaches 1 at the onset of stress coupling
- The stress is continuously reduced and becomes 0 when the failure parameter D reaches the value 1

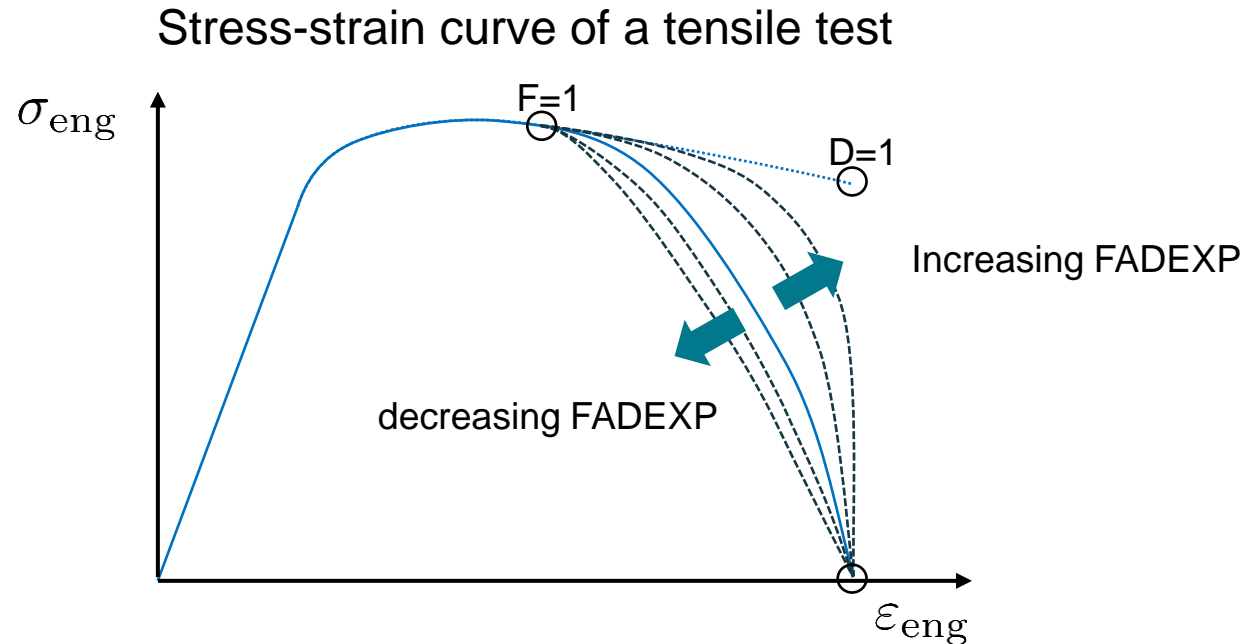


Note: Your simulations might become more stable if elements are no longer deleted all of a sudden

GISSMO – failure vs. damage

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GISSMO – stress-state dependency

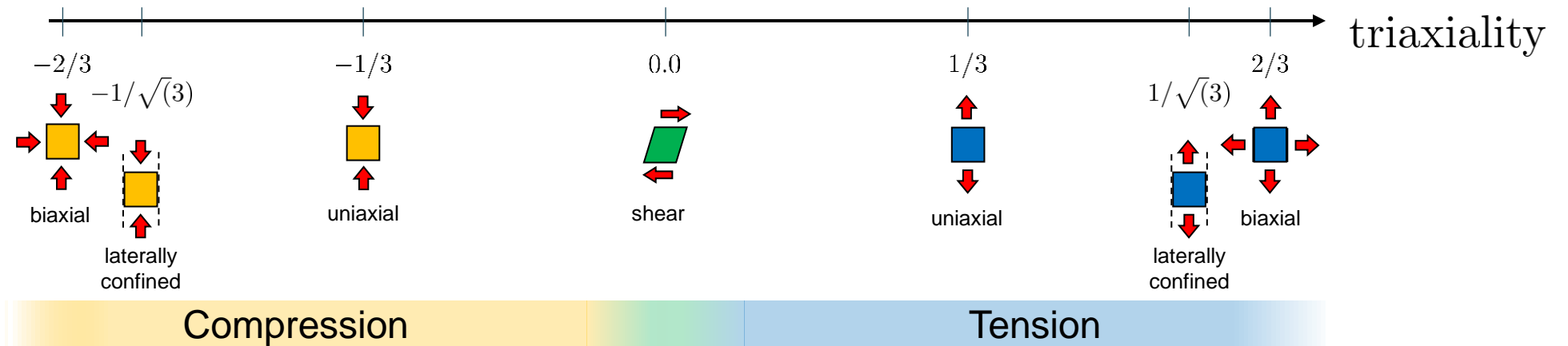
What a “stress state” is

- In-plane stress state (for shells)

$$\text{triaxiality } \eta = -\frac{\text{pressure}}{\text{equiv. stress}}$$

Shells: $-\frac{2}{3} < \eta < \frac{2}{3}$

Solids: $-\infty < \eta < +\infty$



Note: For solid elements there is an additional dimension (lode parameter) to describe the stress state

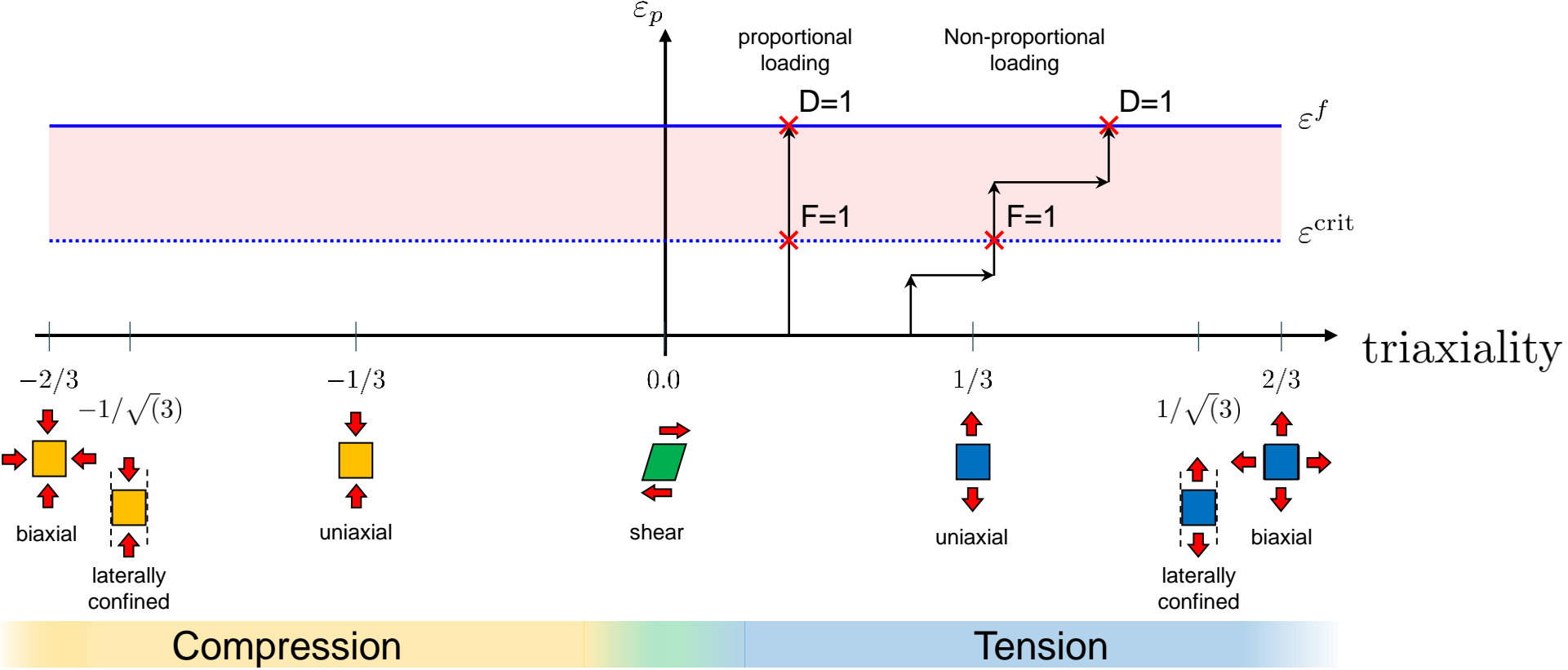
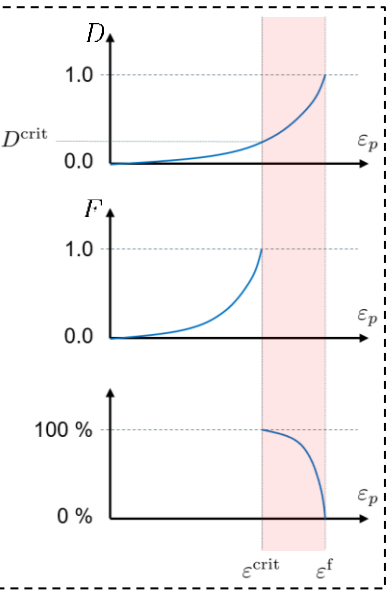
GISSMO – stress-state dependency



The road to failure

- Loading for constant ϵ^{crit} and ϵ^f

$$\text{triaxiality } \eta = - \frac{\text{pressure}}{\text{equiv. stress}}$$



Note: For solid elements there is an additional dimension (lode parameter) to describe the stress state

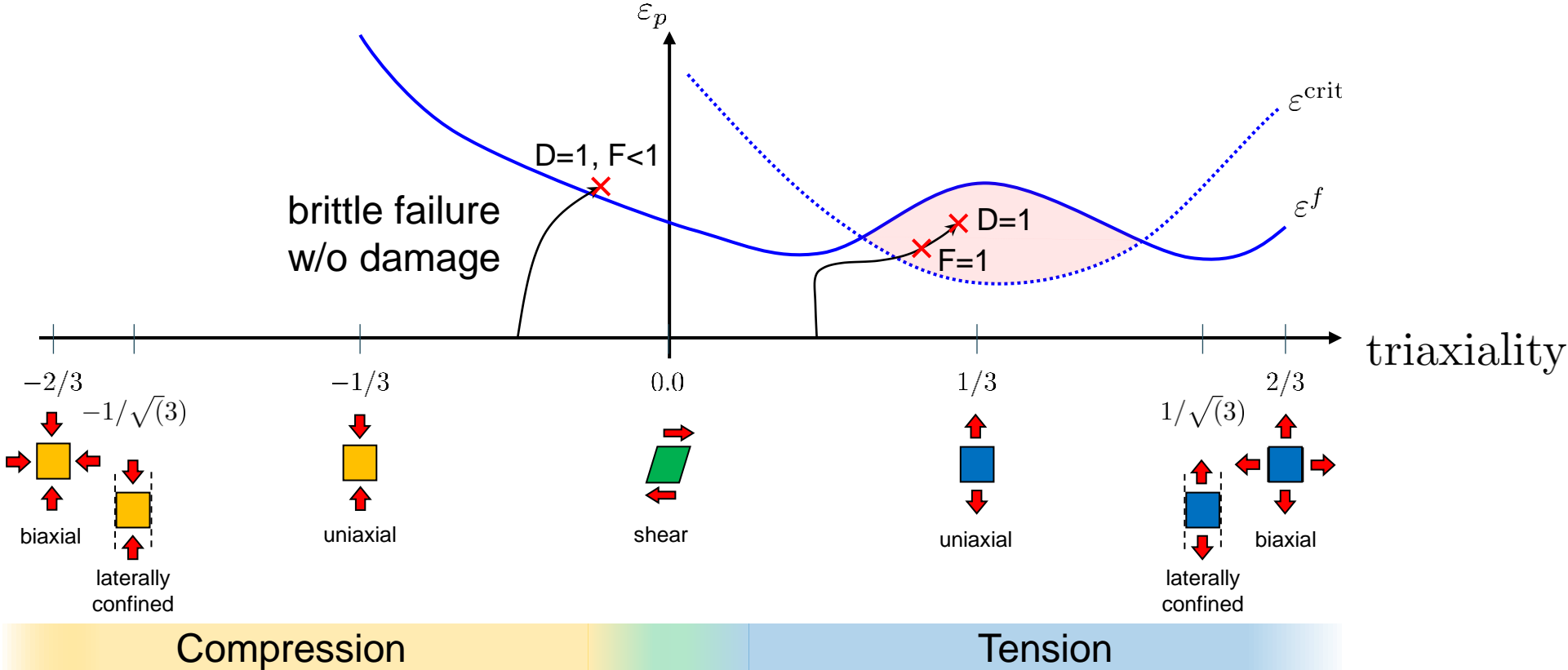
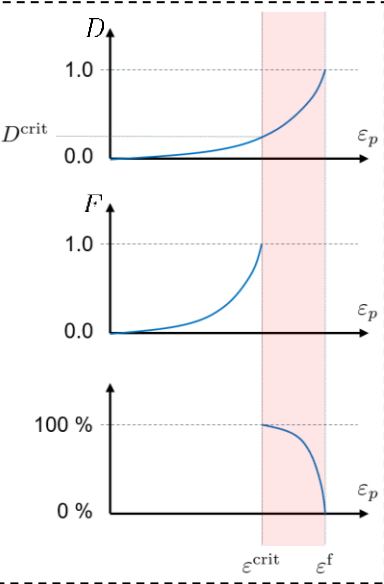
GISSMO – stress-state dependency



The road to failure

- Non-proportional loading for general damage and failure curves

$$\text{triaxiality } \eta = -\frac{\text{pressure}}{\text{equiv. stress}}$$



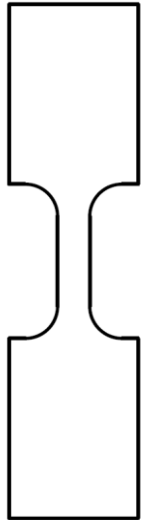
Note: for non-proportional loading, F=1 and D=1 are generally not directly on the curve

GISSMO – calibration

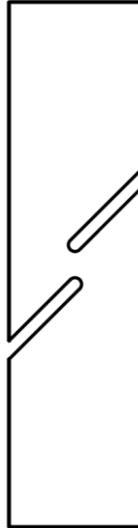
That test are needed to for the calibration

- Standard set for GISSMO calibration for shell elements

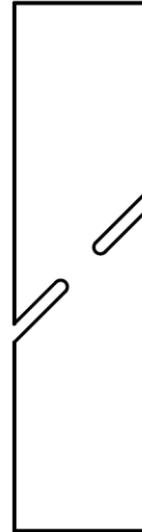
Small tensile test
MFz



0° shear test
00Sz



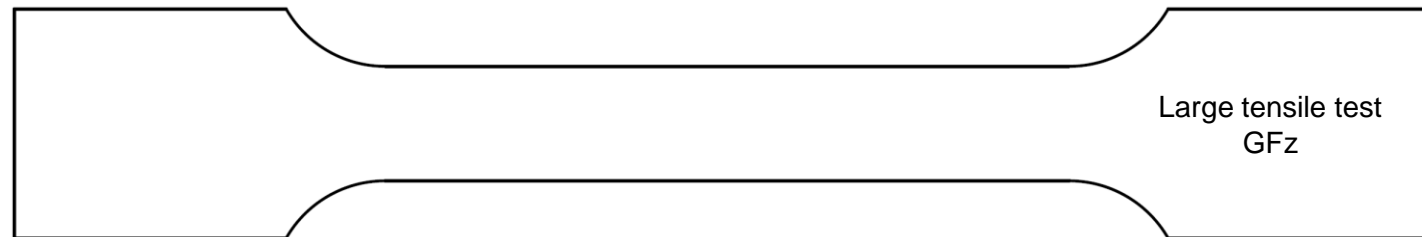
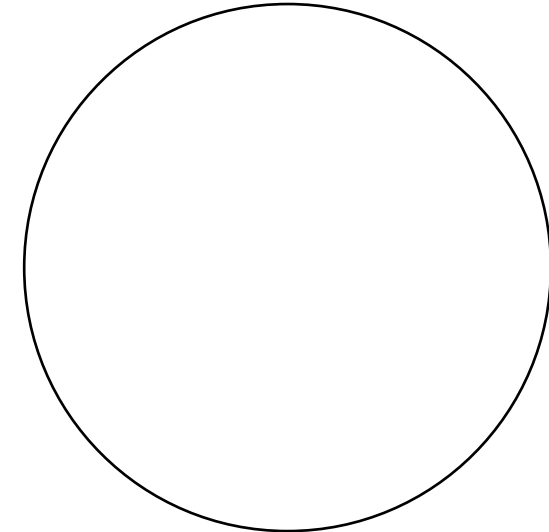
45° shear test
45Sz



R4 notched tensile test
R4Fz



Punch test
Ds

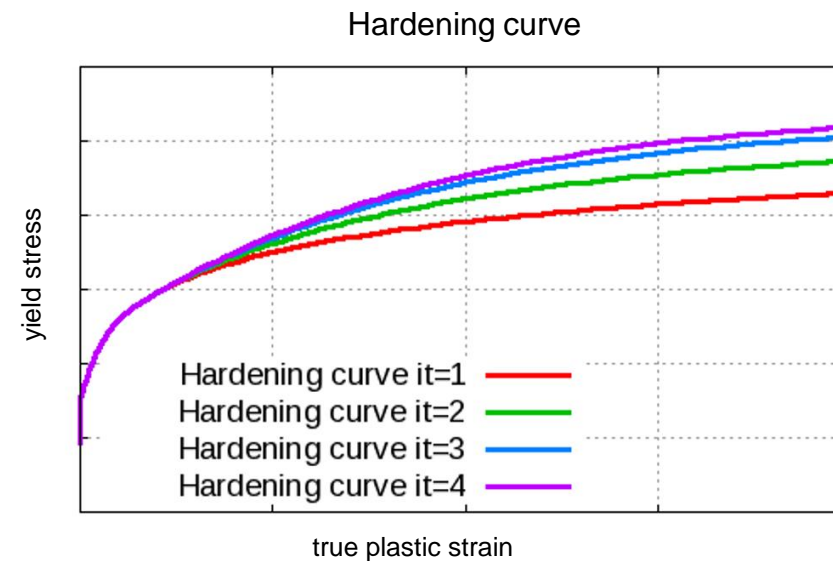
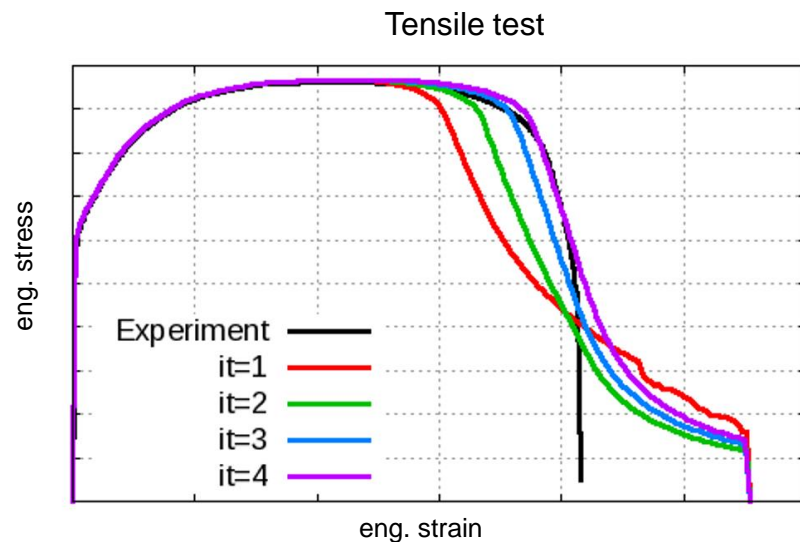


Large tensile test
GFz

GISSMO – calibration – plastic behavior

Inverse identification through simulation of experiments

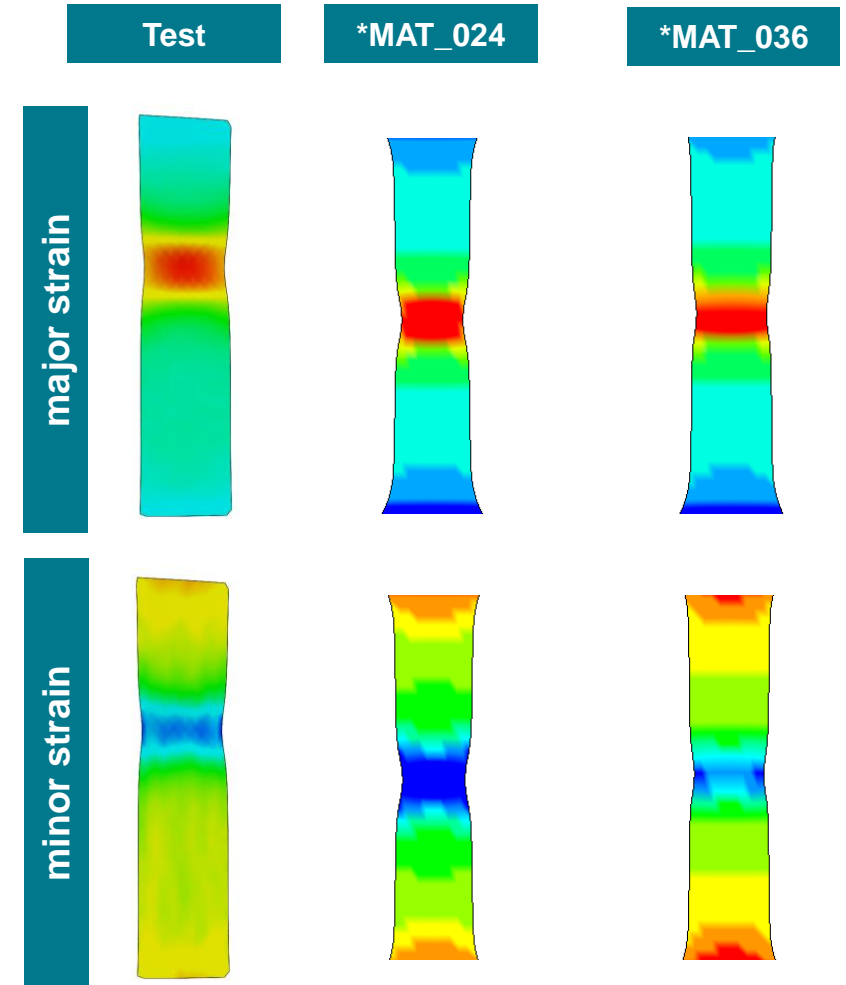
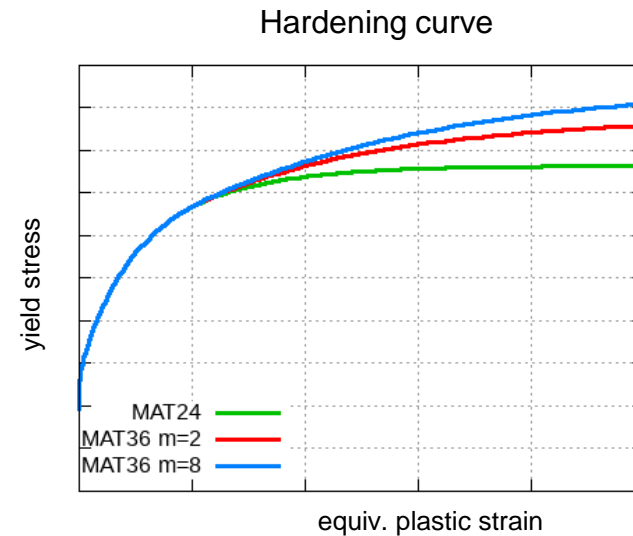
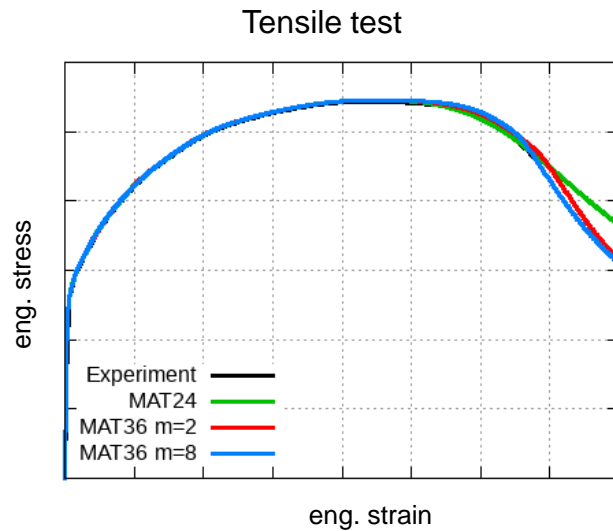
- Identification of hardening curve is iteratively performed by simulating the tensile tests
- Up to the necking point the identification is straightforward (conversion from engineering to true stress strain curve, removal of elastic strains)
- From the necking point on an extrapolation is necessary
- Each iteration verifies if the current extrapolation can reproduce the experiment



GISSMO – calibration – plastic behavior

Inverse identification through simulation of experiments

- More accurate plasticity descriptions can be achieved by using more sophisticated models (e.g., Barlat-based plasticity model)
- In this example, an R-value of 0.6 was measured $\rightarrow \varepsilon_2^p = 0.6\varepsilon_3^p$
- *MAT_024 (R=1) is in this case more limited than *MAT_036

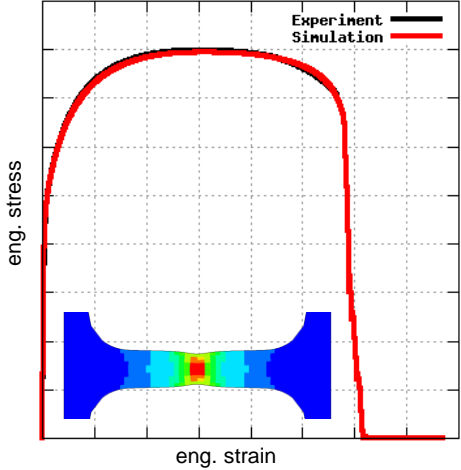


GISSMO – calibration

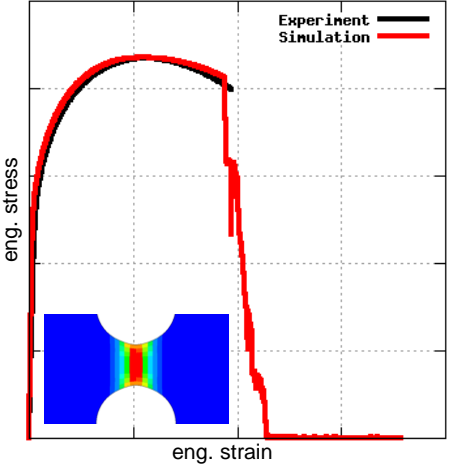


Exemplary material calibration – Overview

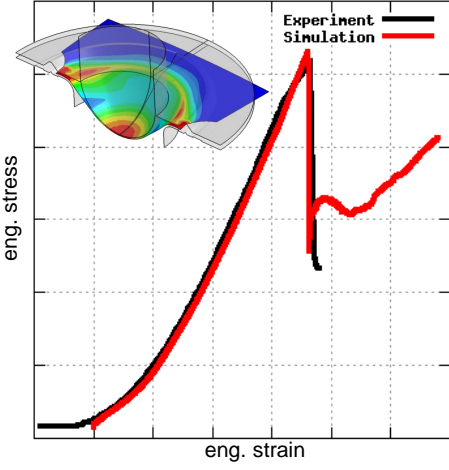
Small tensile test



Notched specimen

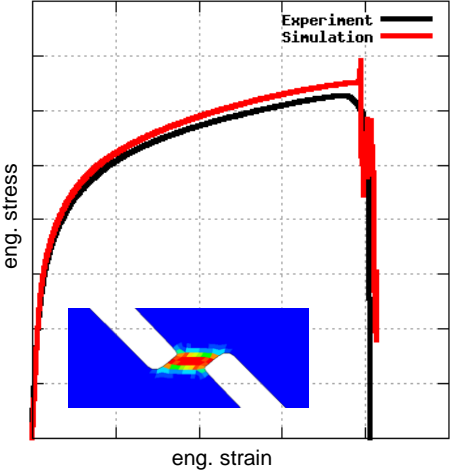


Biaxial test

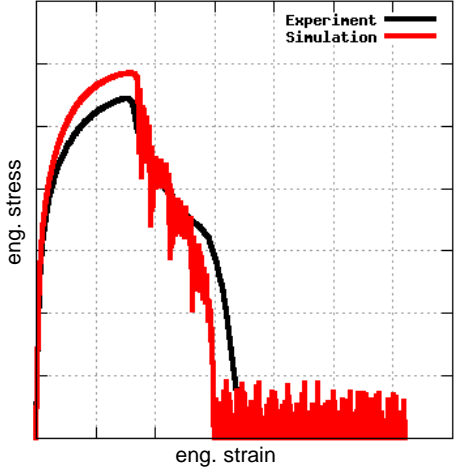


Element size 0.5 mm
 Shell elements – ELFORM = 16
 Damage exponent 2.0
 Fading exponent 2.0

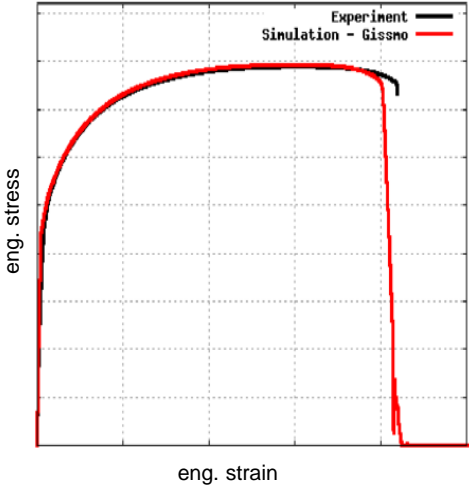
Shear test 0°



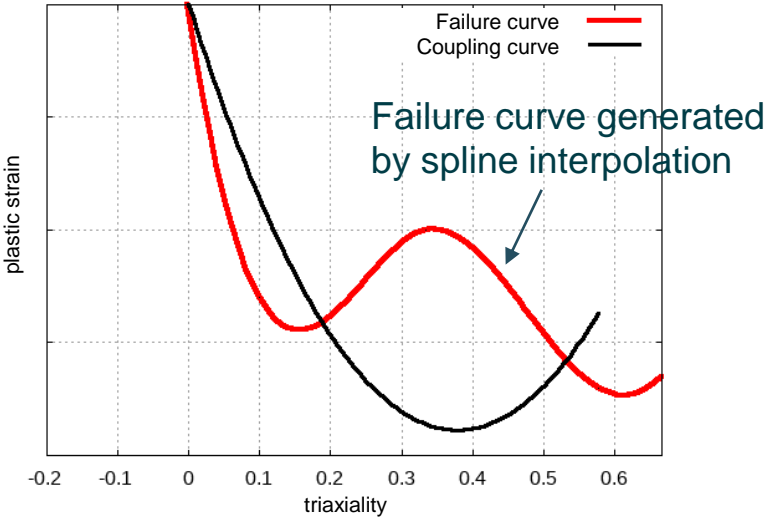
Shear test 45°



Large tensile test

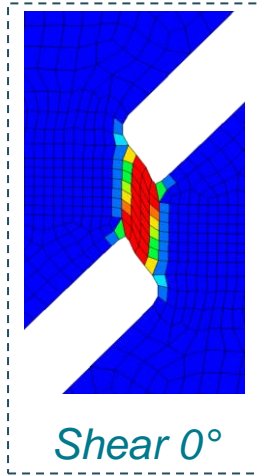


GISSMO curves

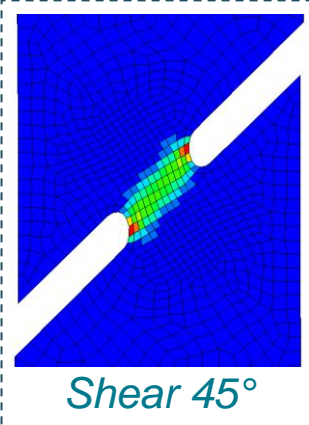


GISSMO – calibration

Exemplary material calibration

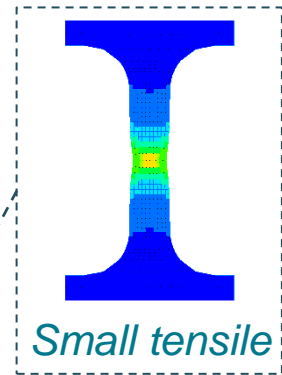
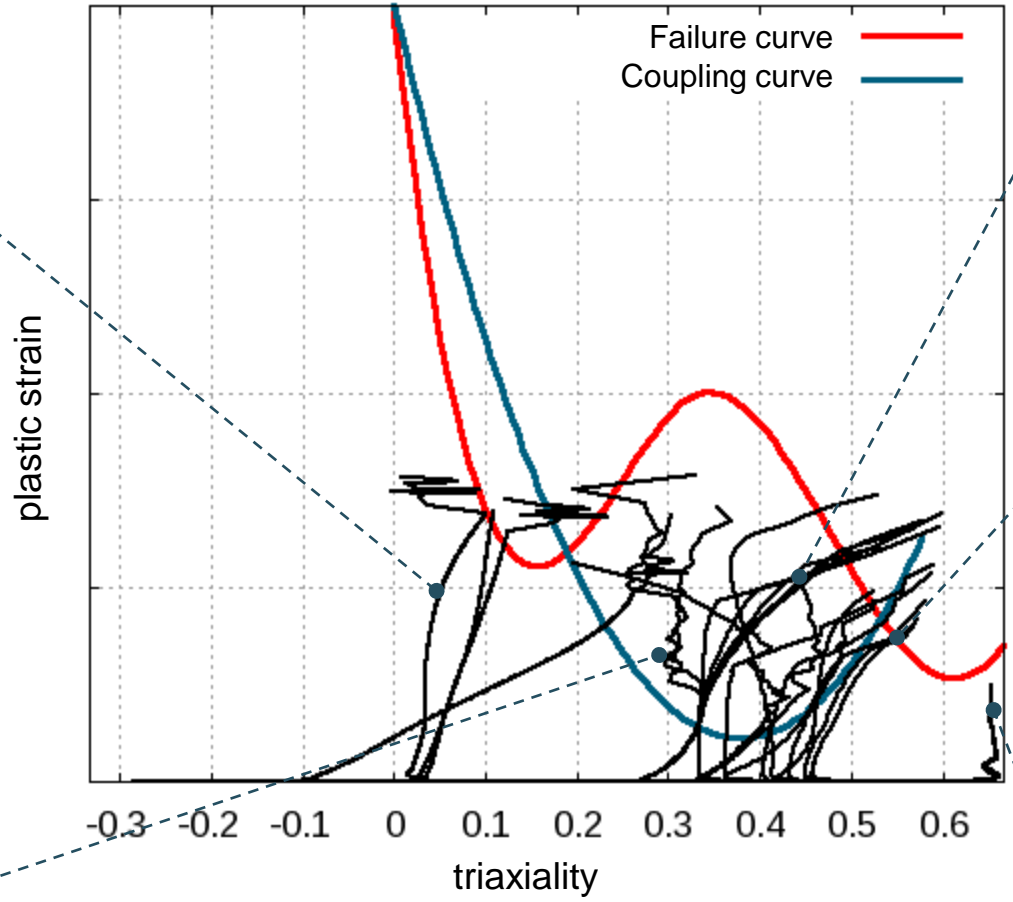


Shear 0°

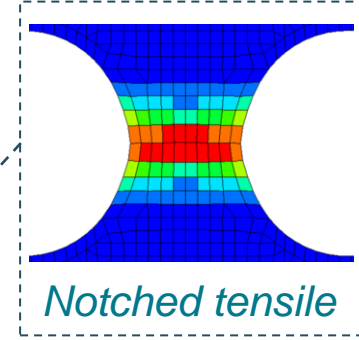


Shear 45°

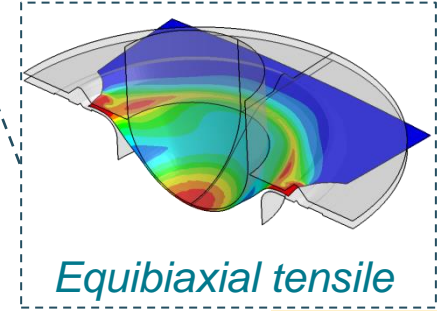
Nonlinear strain-triaxiality paths



Small tensile



Notched tensile



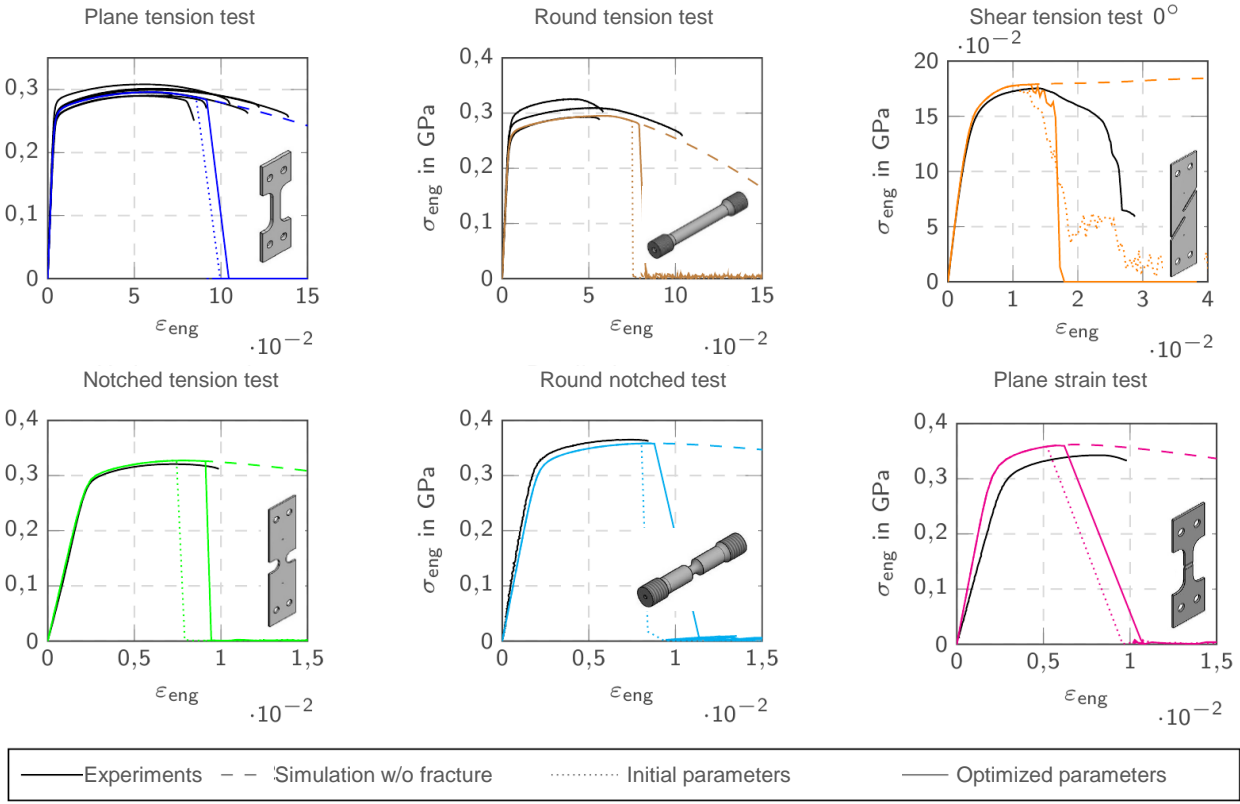
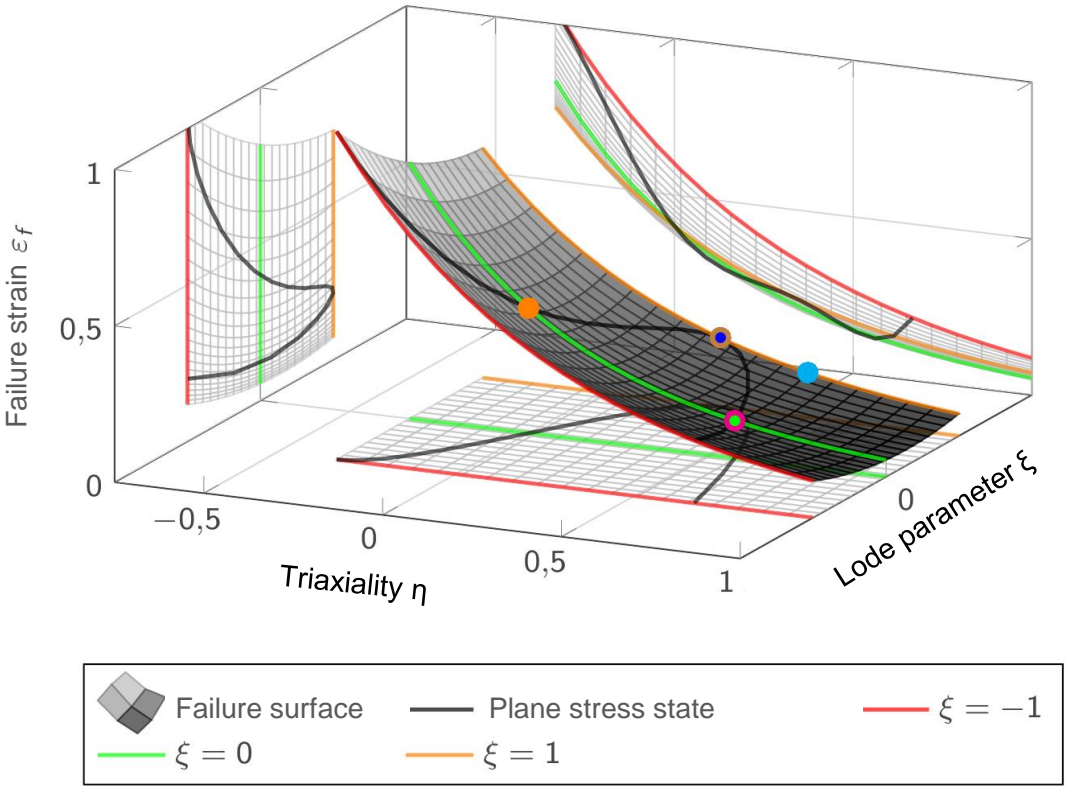
Equibiaxial tensile

GISSMO – calibration of solid elements



Experimental data and GISSMO material parameter identification for cast aluminium

Failure surface



[M. Blind: Materialmodellierung von in der Crashsimulation Vorderachsbauteilen. Bachelor thesis, 2018]

Different Types

- The expression “mesh dependence” is somewhat vague and can as such have different interpretations. Therefore, it is important to highlight the main differences between the typical interpretations of this term.
- Geometrical mesh dependence
 - A consequence of discretization using finite elements
 - May affect solution under any loading (purely elastic, plastic, etc.)
 - Generally converging when mesh is fine enough
 - Shells and solids affected in a similar way
- Spurious mesh dependence
 - A consequence of local continuum mechanics
 - Only affects solution under certain conditions (e.g., after the necking point under a uniaxial stress state)
 - Generally non-converging regardless how fine the mesh is
 - Shells generally exhibit more spurious mesh dependence than solids

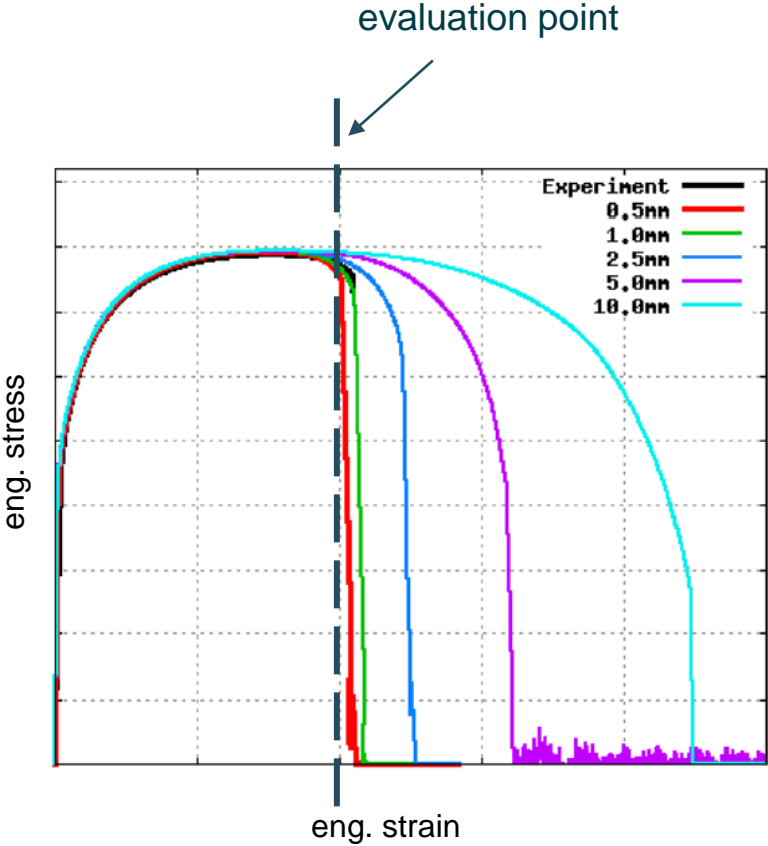
Regularization strategies are intended to tackle the spurious mesh dependence

GISSMO – spurious mesh dependence

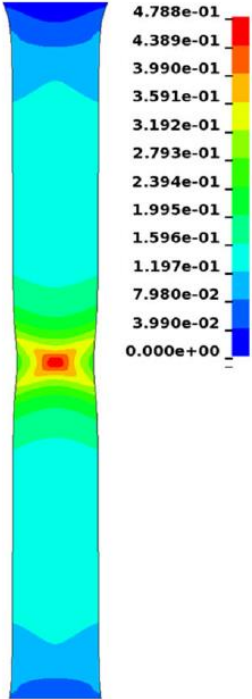


Simulation of the large tensile test, evaluation at the same deformation point

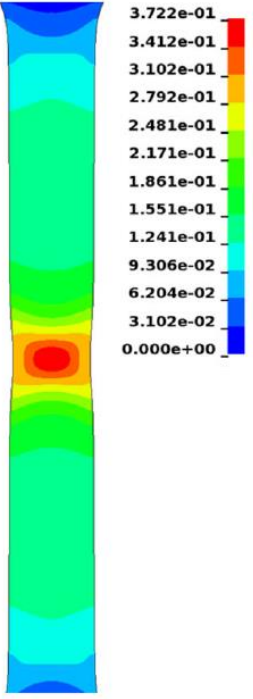
Different plastic strain distribution for each mesh size, failure takes place at different deformation points.



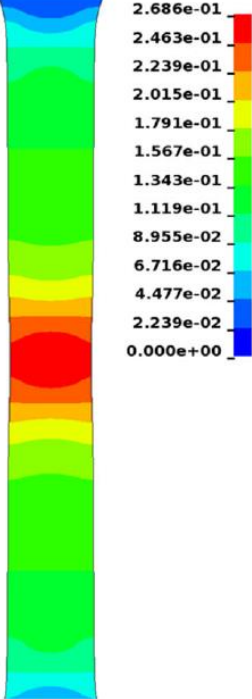
0.5 mm



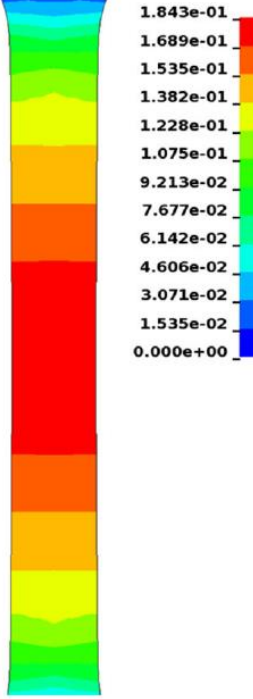
1.0 mm



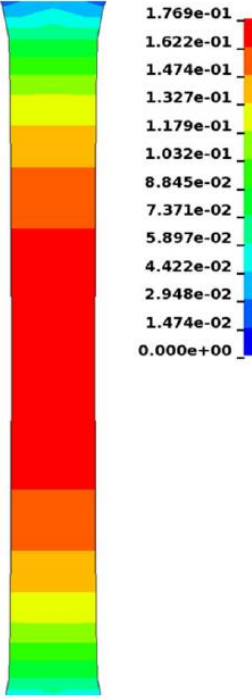
2.5 mm



5.0 mm

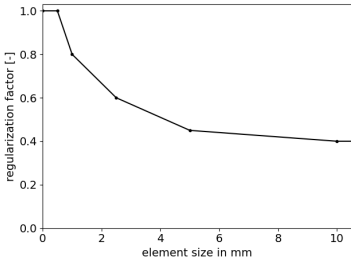


10.0 mm

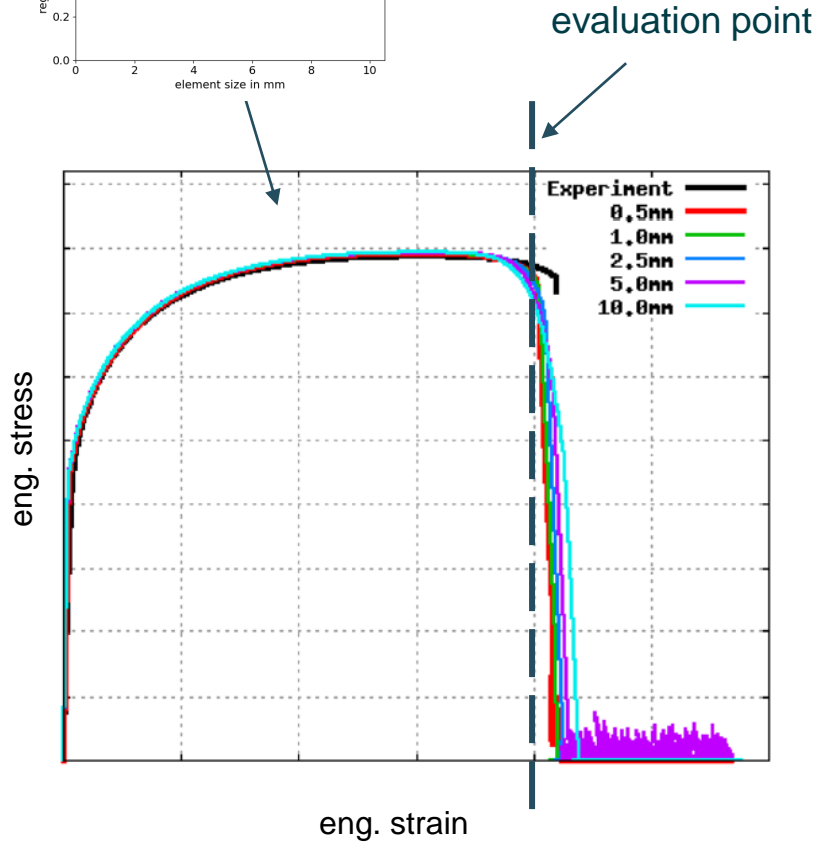


GISSMO – spurious mesh dependence

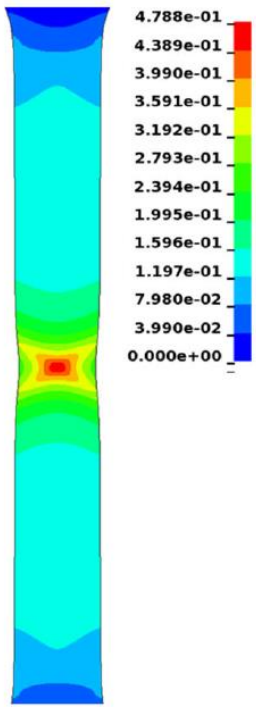
Simulation of the large tensile test, evaluation at the same deformation point



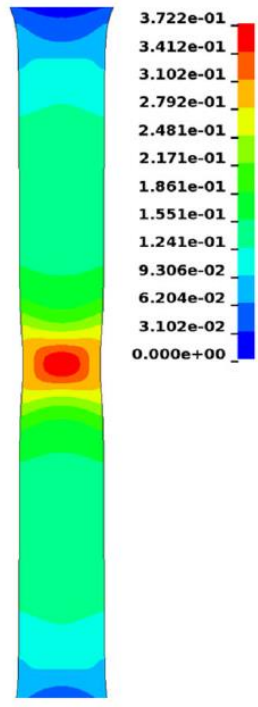
No change of plastic strain distribution, however, the deformation point at which failure occurs is now identical



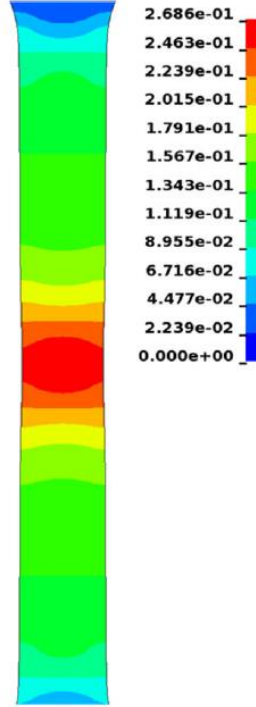
0.5 mm



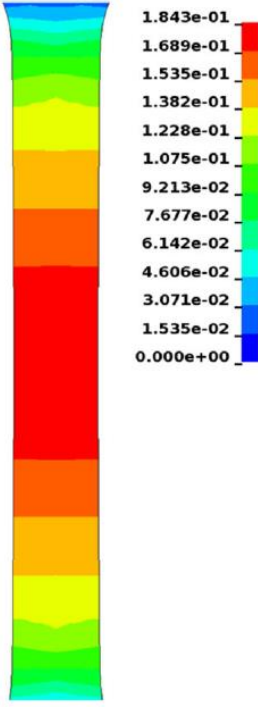
1.0 mm



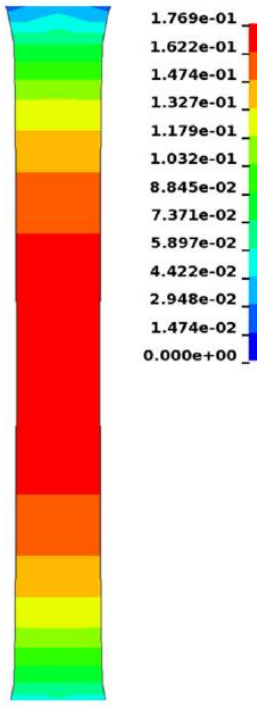
2.5 mm



5.0 mm

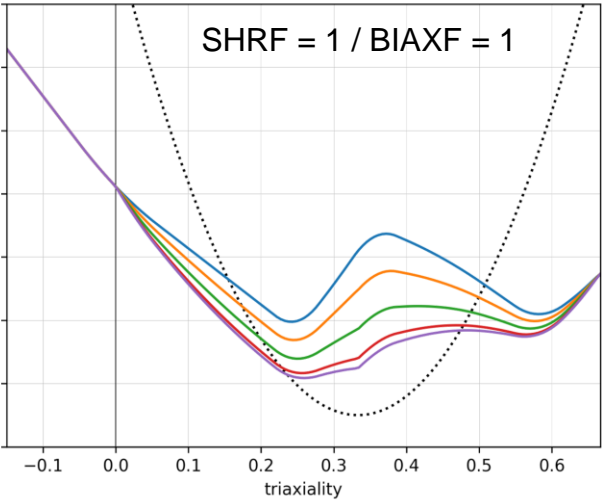
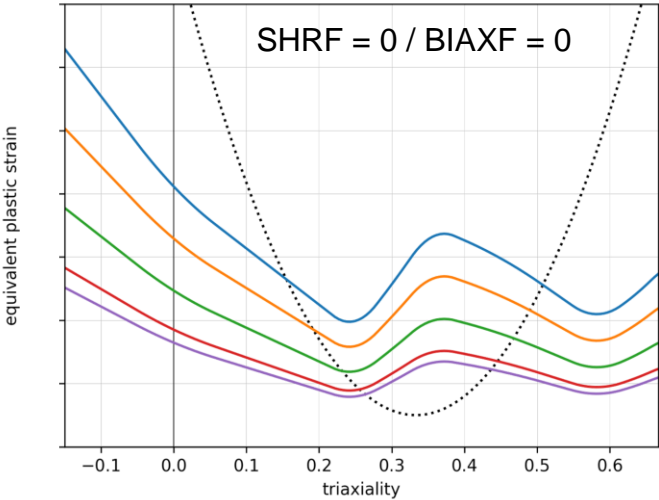


10.0 mm



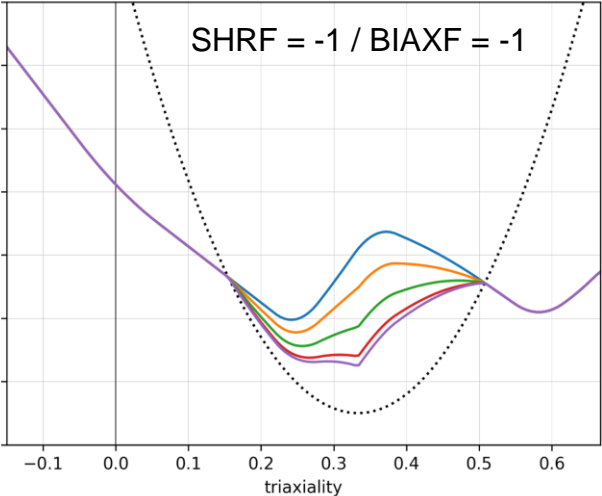
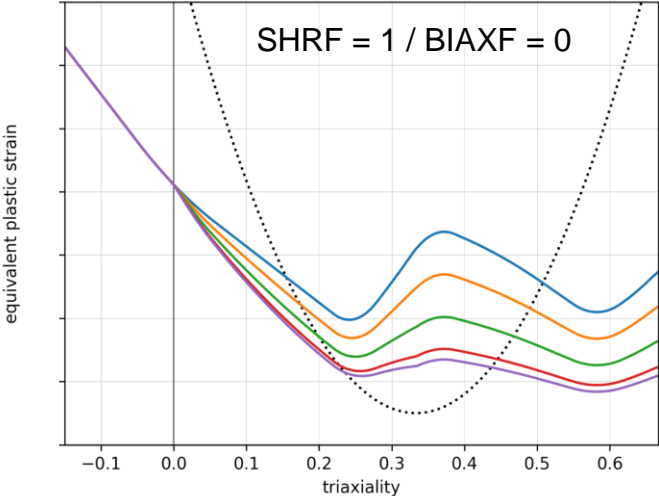
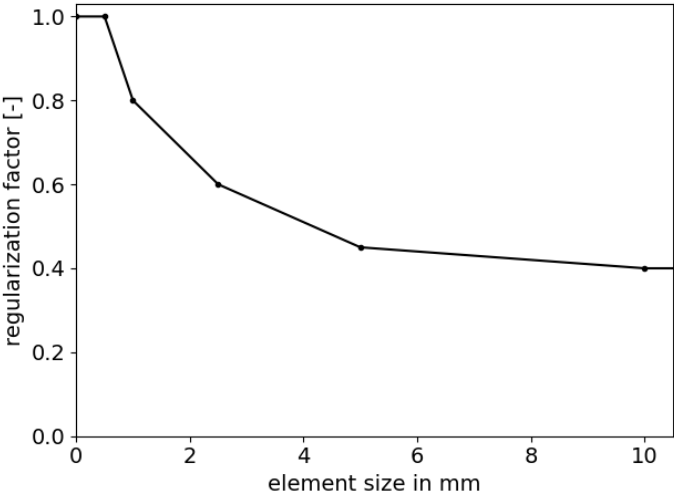
GISSMO – spurious mesh dependence

Regularization beyond the uniaxial stress state



- coupling curve
- 0.5 mm
- 1.0 mm
- 2.5 mm
- 5.0 mm
- 10.0 mm

Regularization factors

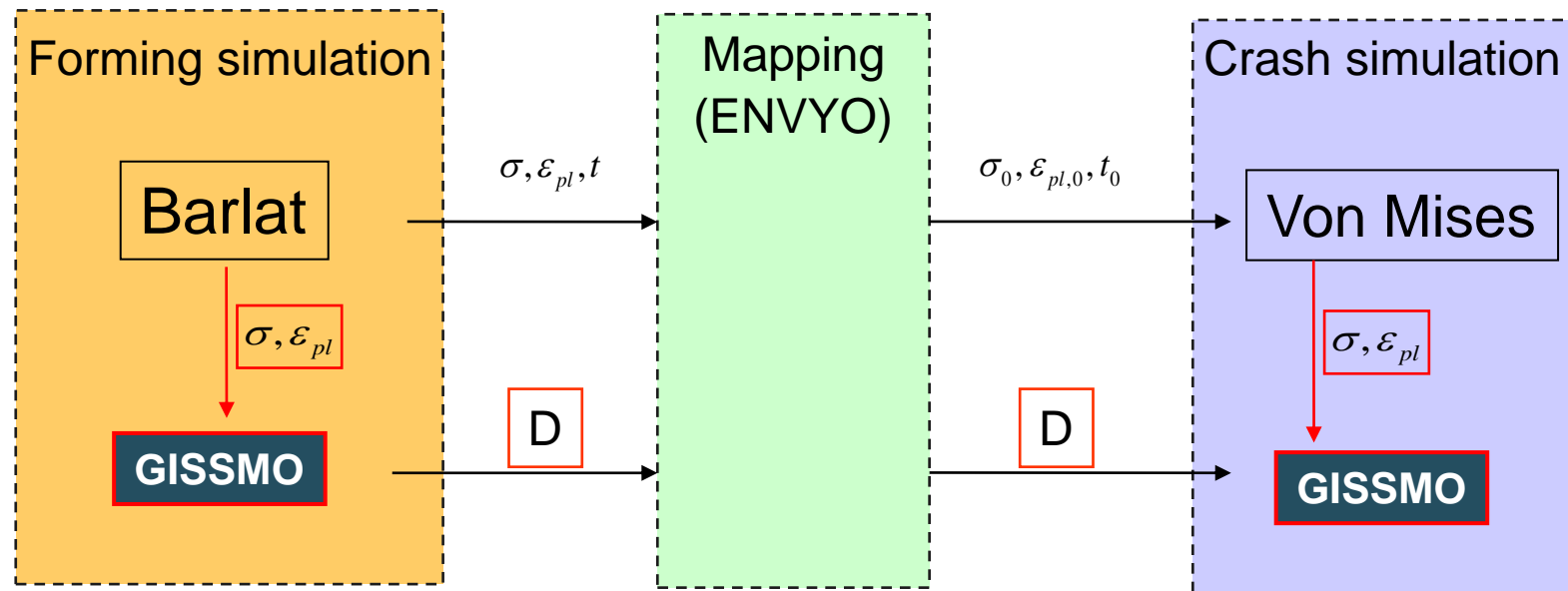


SHRF and BIAXF can be reproduced with *DEFINE_TABLE or the user can define his/her own triaxiality-dependent regularization

GISSMO – process simulation

How can GISSMO be helpful in process simulation

- Schematic representation of the process simulation



Note: damage can also already be calculated for the element size of the following simulation

GISSMO – keyword

What the actual input looks like

■ *MAT_ADD_DAMAGE_GISSMO (up to R10: *MAT_ADD_EROSION)

```
*MAT_ADD_DAMAGE_GISSMO
$#      MID          DTYP      REFSZ      NUMFIP
      1              1          3.0        -80
$#  LCSDG      ECRIT      DMGEXP      DCRIT      FADEXP      LCREGD
      2          -3          2.0          4.0          4
$#  LCSRS      SHRF      BIAXF      LCDLIM      MIDFAIL      HISVN      SOFT      LP2BI
      1
*DEFINE_CURVE
$#  LCID      SIDR      SFA      SFO      OFFA      OFFO      DATTYP      LCINT
      2
$#              A1              01
... failure curve
*DEFINE_CURVE
$#  LCID      SIDR      SFA      SFO      OFFA      OFFO      DATTYP      LCINT
      3
$#              A1              01
... instability curve (coupling onset)
*DEFINE_CURVE
$#  LCID      SIDR      SFA      SFO      OFFA      OFFO      DATTYP      LCINT
      4
$#              A1              01
... regularization factors
```

Thank You

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